

# A neuro-symbolic approach for real-world event recognition from weak supervision

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**UNIVERSITY  
OF TRENTO**

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# Introduction and motivation

- Events



RUN



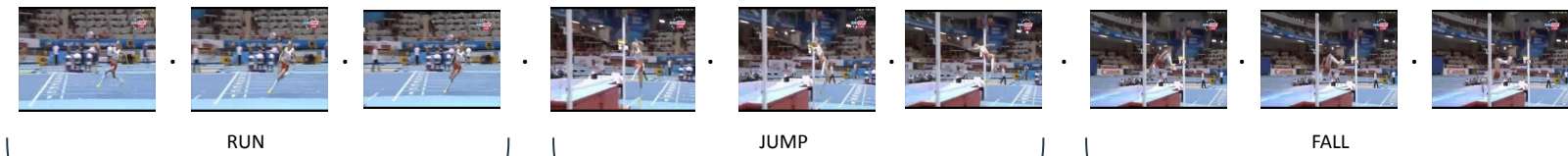
JUMP



FALL

# Introduction and motivation

- **Events**

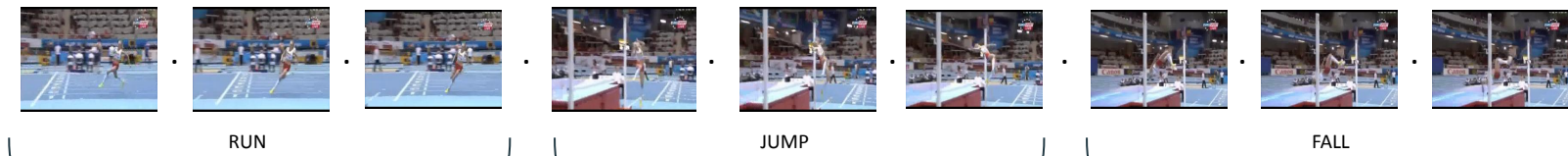


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- **Neural approaches:**
  - Large amounts of annotated training data (errors in the annotations!)
  - Not guaranteed consistency of predictions
- **Neuro-symbolic approaches:**
  - Low level processing with high level reasoning
  - Events - artificial scenarios -> issues (e.g. scalability)

# Contributions

1. A Neuro-symbolic approach for event recognition in a real world scenario (sports) (MILP)
2. Experiment: Neural vs Neuro-symbolic

# Problem definition

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  - $\mathbb{N}$  time points
  - $happens(e, t_1, t_2)$



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$$\forall xyz(happens(x, y, z) \Rightarrow y < z)$$

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- Semantics:

$$\mathcal{H} = \{happens(e, t_1, t_2) \mid e \in \mathcal{E}, t_1 < t_2, t_1, t_2 \in \mathbb{N}\}$$

# Problem definition (example)

- **Our aim:** Given a data sequence  $X = \{x_i\}_{i=1}^l$  and background knowledge  $K$  we have to find an (Herbrand) interpretation  $I$  (i.e. description for  $X$ ) such that  $I \models K$

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- **Example**
  - $X = \{x_i\}_{i=1}^{31}$  -> highjump
  - $K :$

$$\forall b_{hj} e_{ij} (\text{happens}(\text{highjump}, b_{hj}, e_{hj}) \leftrightarrow \exists b_r, e_r, b_j, e_j, b_f, e_f (\text{happens}(\text{run}, b_r, e_r) \wedge \text{happens}(\text{jump}, b_j, e_j) \wedge \text{happens}(\text{fall}, b_f, e_f) \wedge b_r = b_{hj} \wedge e_r = b_j \wedge e_j = b_f \wedge e_f = e_{hj}))$$

# Problem definition (example cont.)

- Two examples of interpretations:
  - $I_1 = \{happens(highjump, 1, 31), happens(run, 1, 21), happens(jump, 21, 25), happens(fall, 25, 31)\}$
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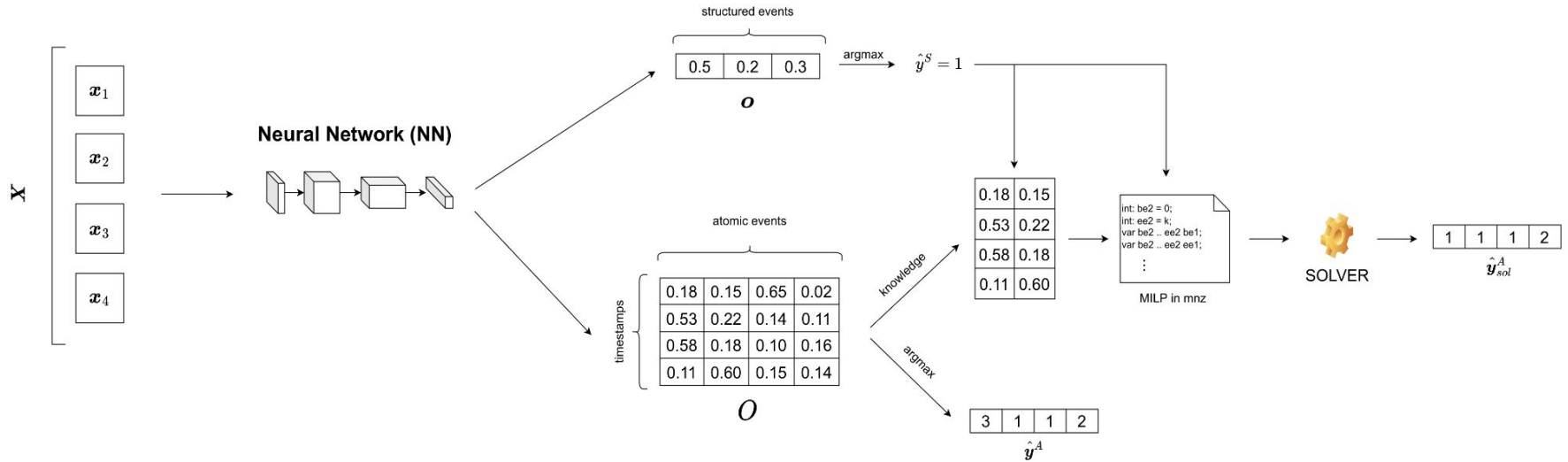
$$I_c^* = \operatorname{argmin}_{I_c \models K} c(I_c)$$

- Supervision:

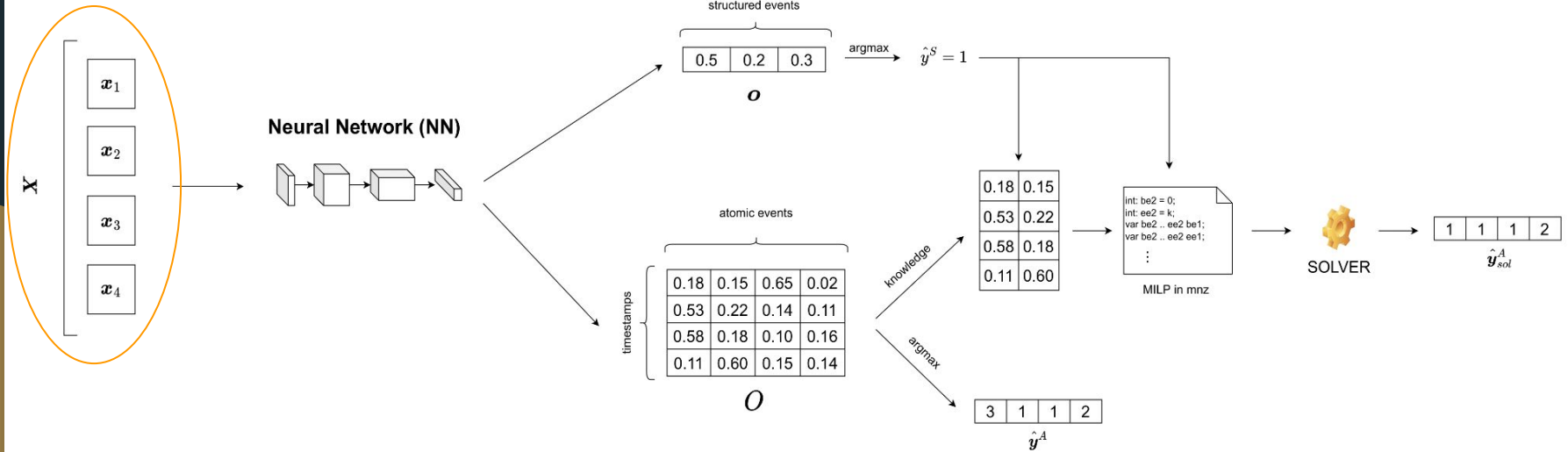
$$\left\{ \mathbf{X}^{(i)}, G_a^{(i)} \right\}_{i=1}^n$$



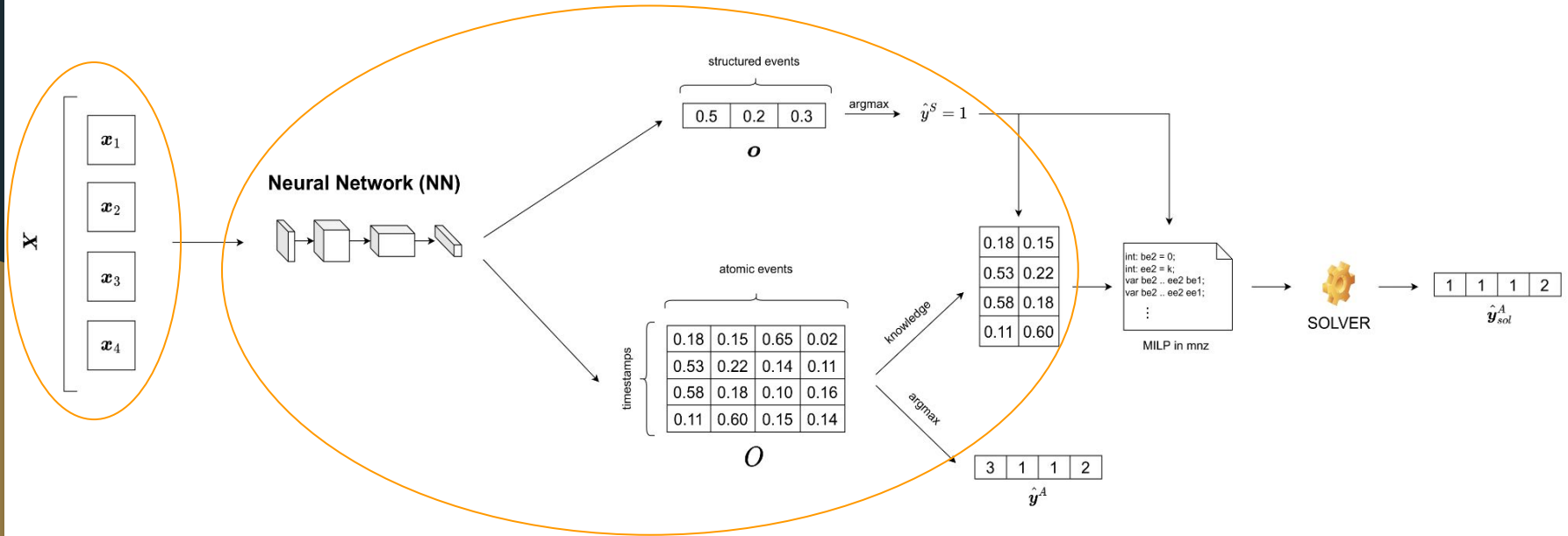
# Proposed approach - inference



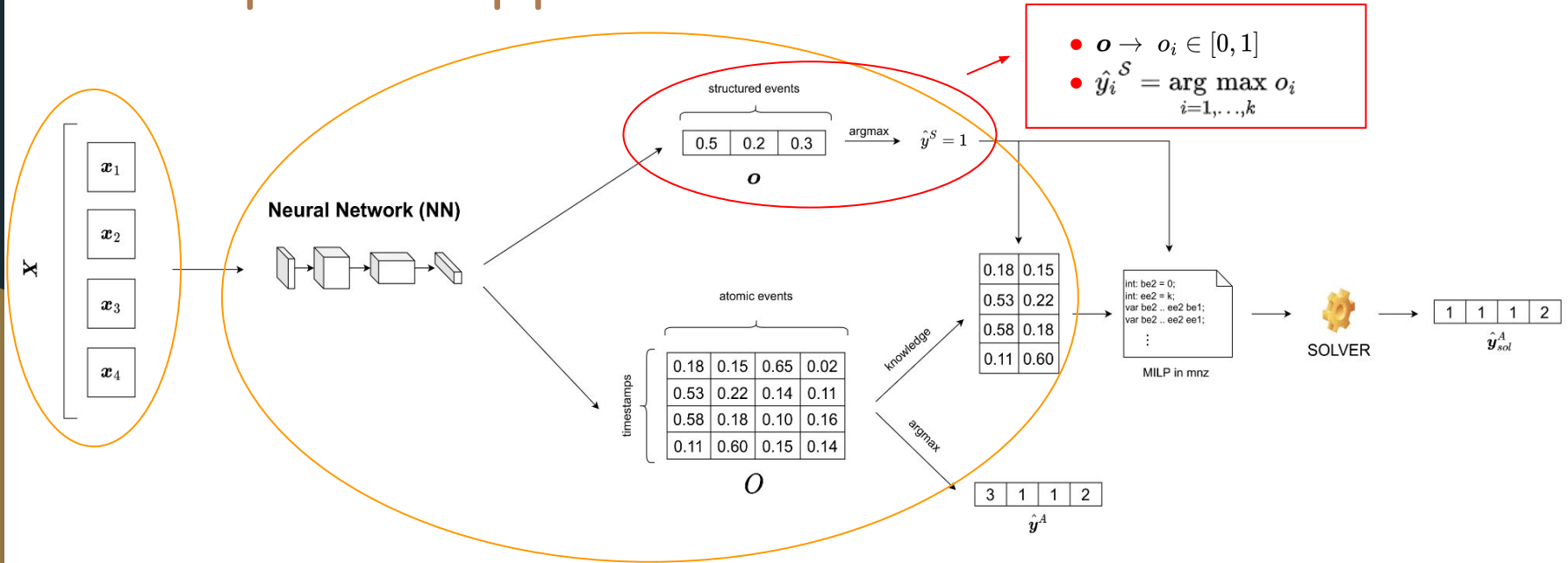
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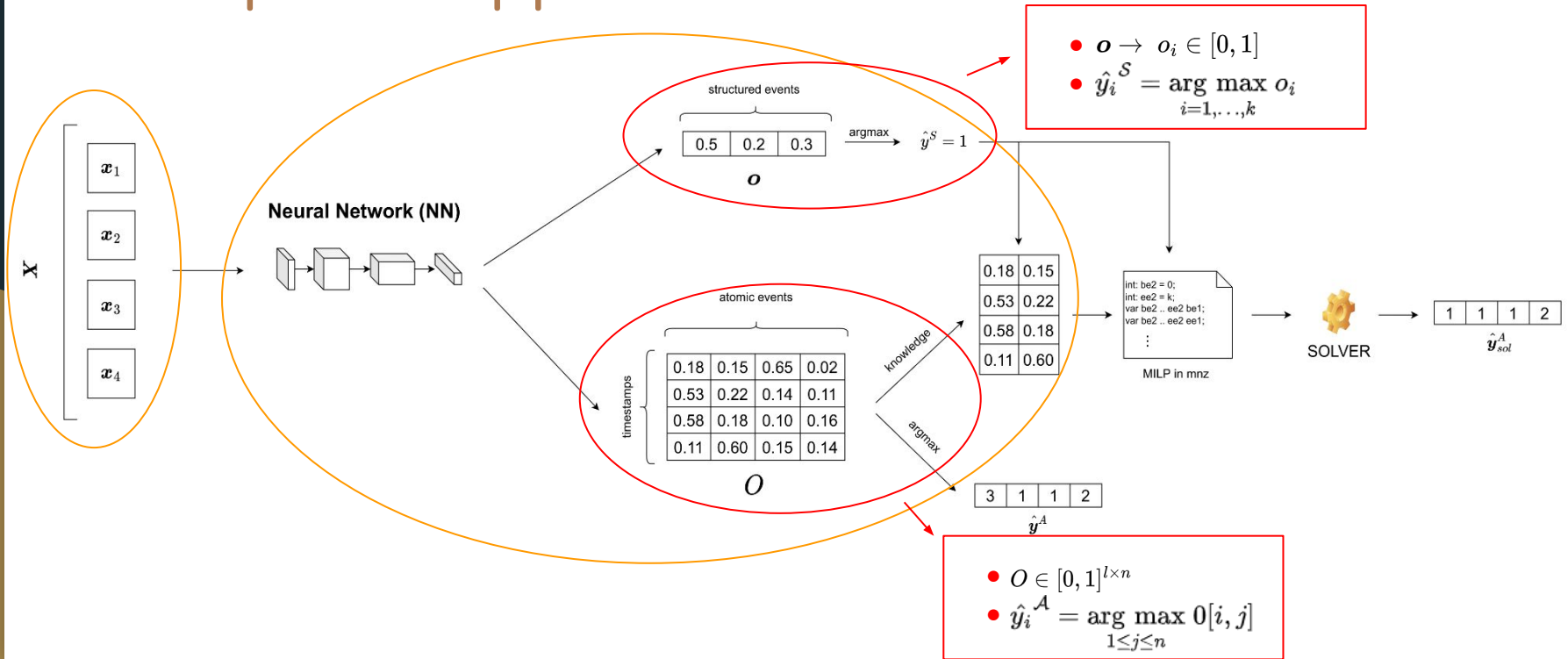
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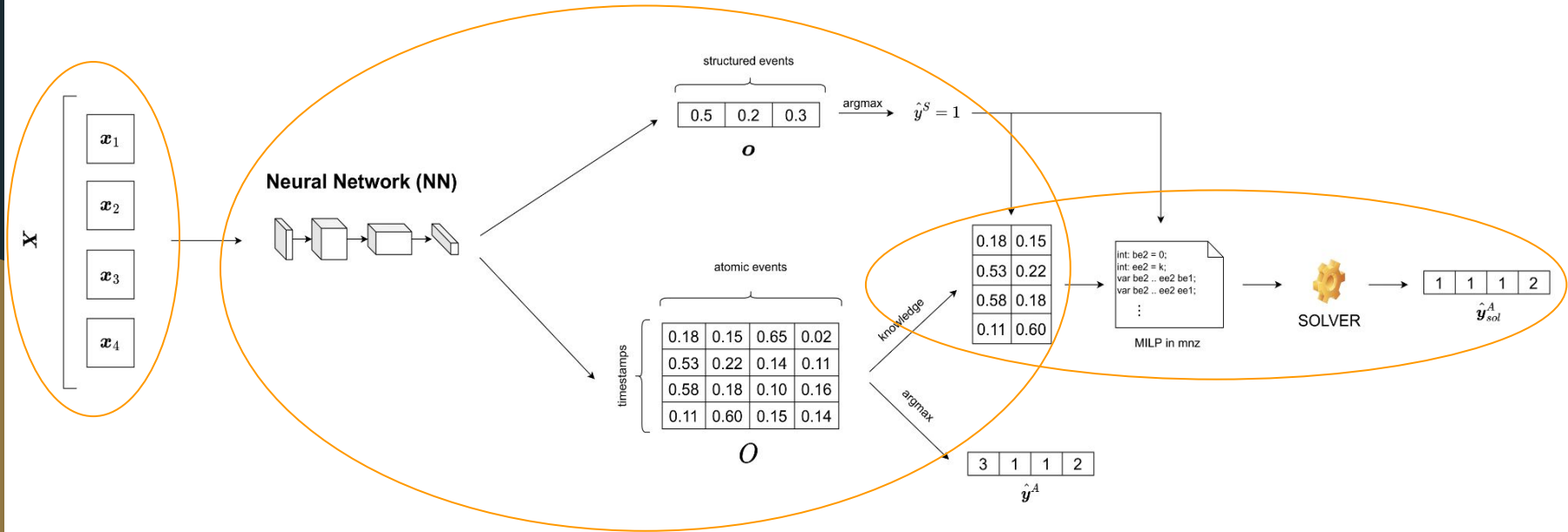
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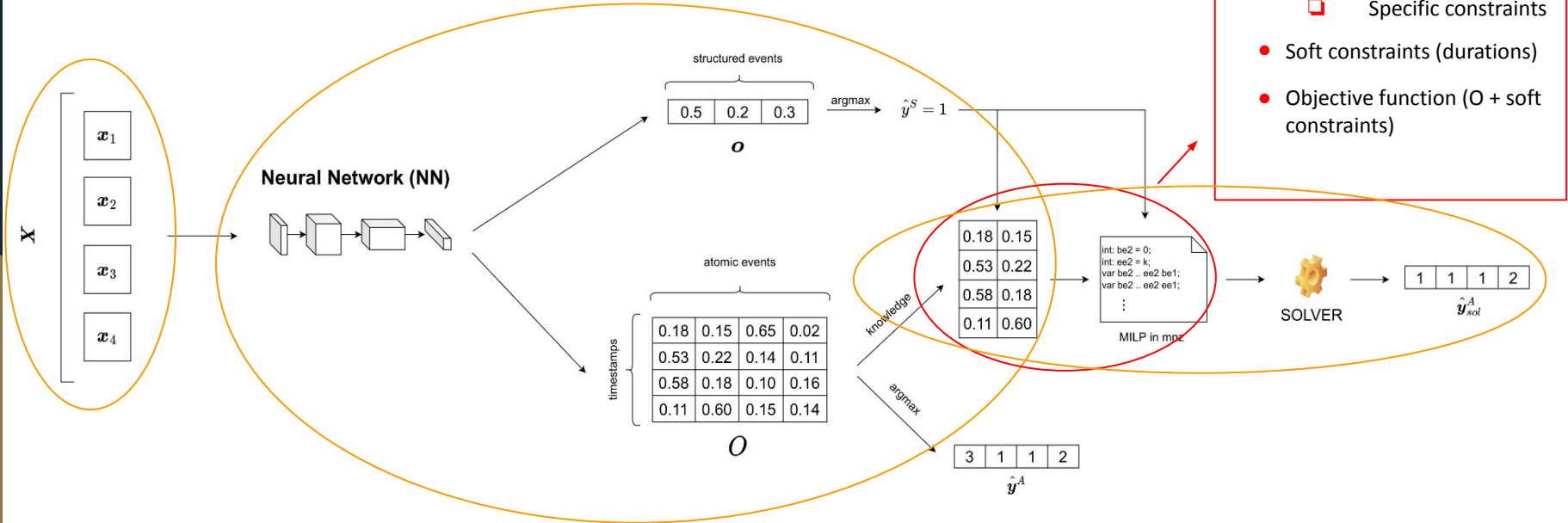
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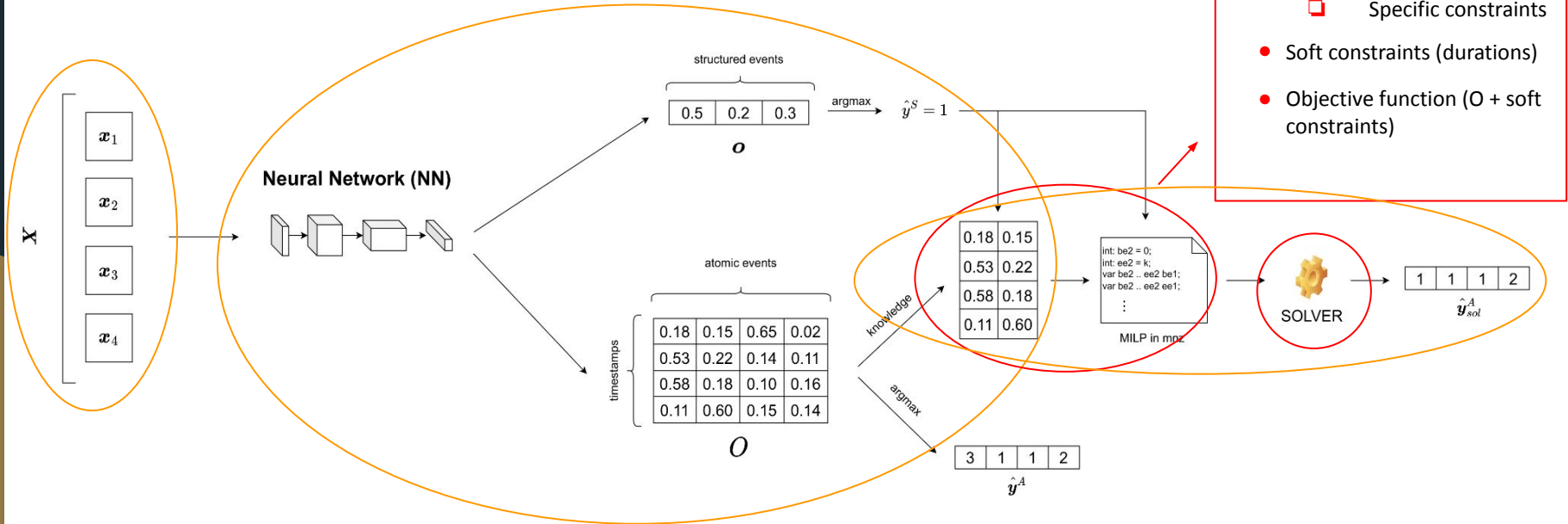


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- **Hard constraints:**
  - ▣ Generic constraints
  - ▣ Specific constraints
- **Soft constraints (durations)**
- **Objective function (O + soft constraints)**

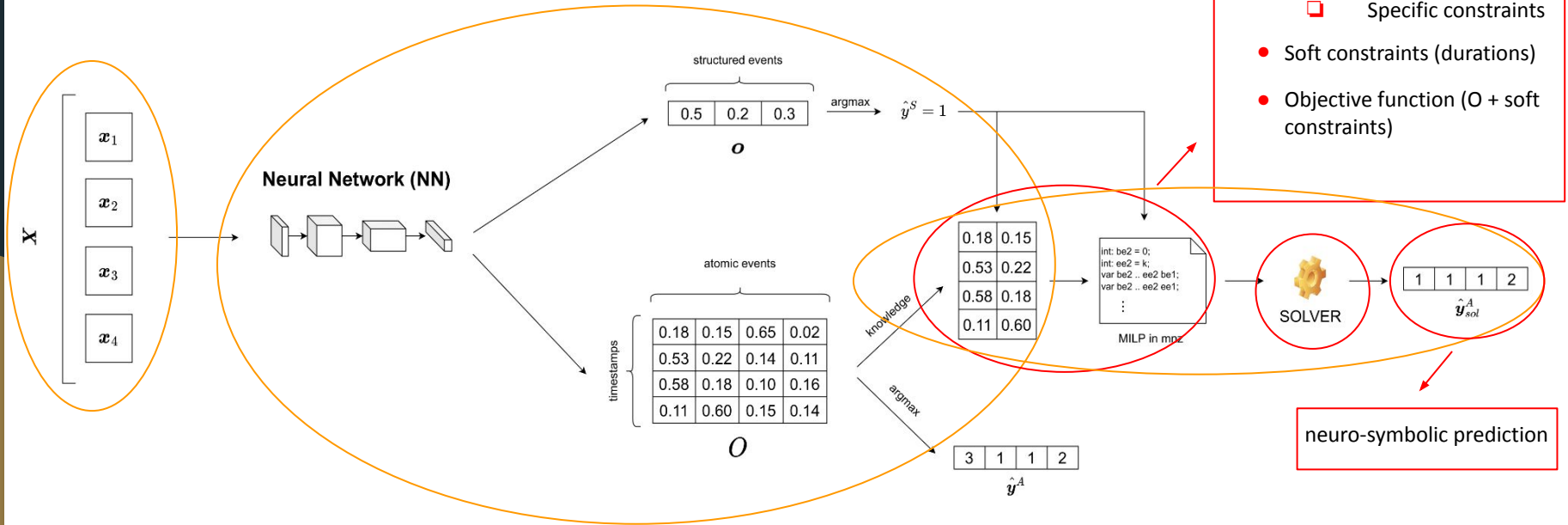
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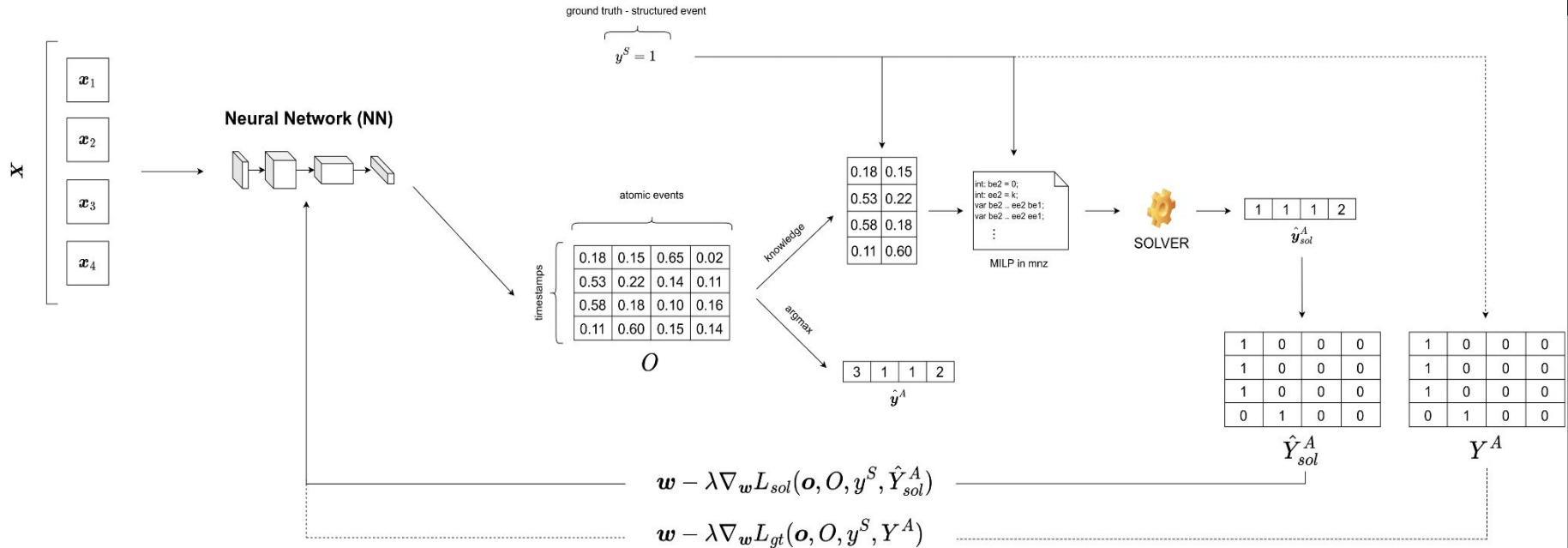
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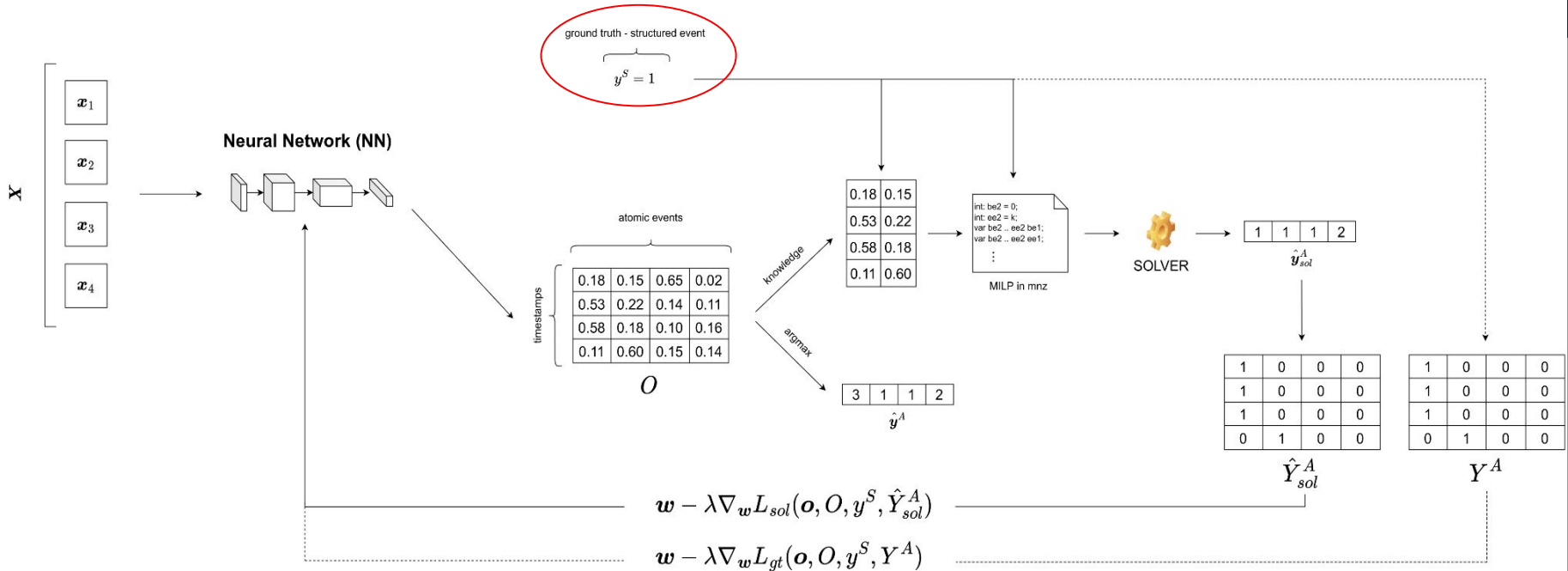
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neuro-symbolic prediction

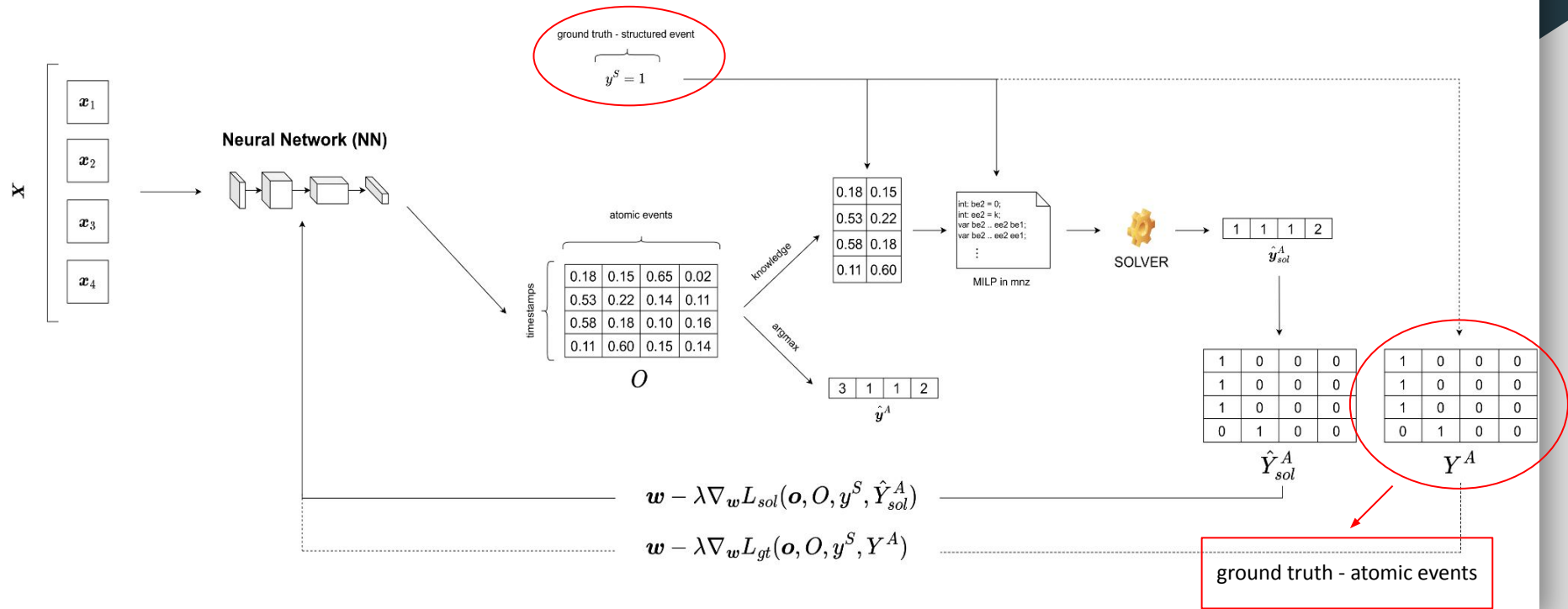
# Proposed approach - train



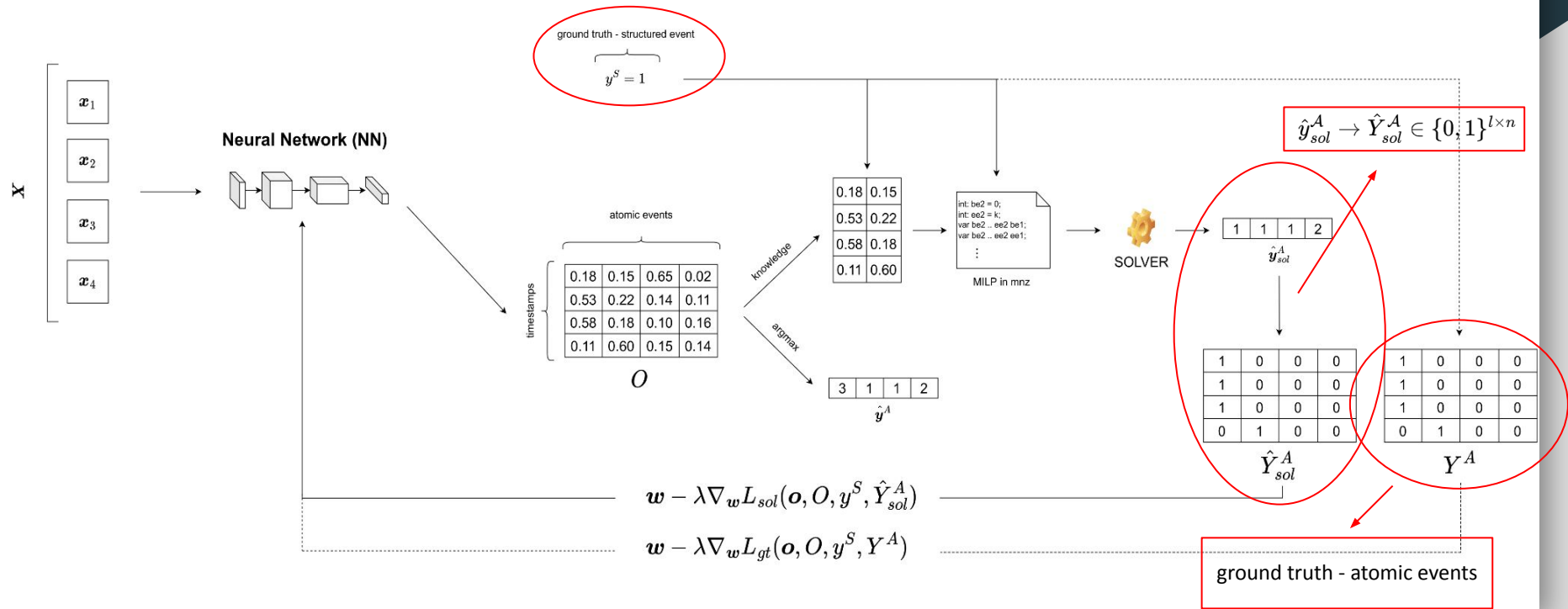
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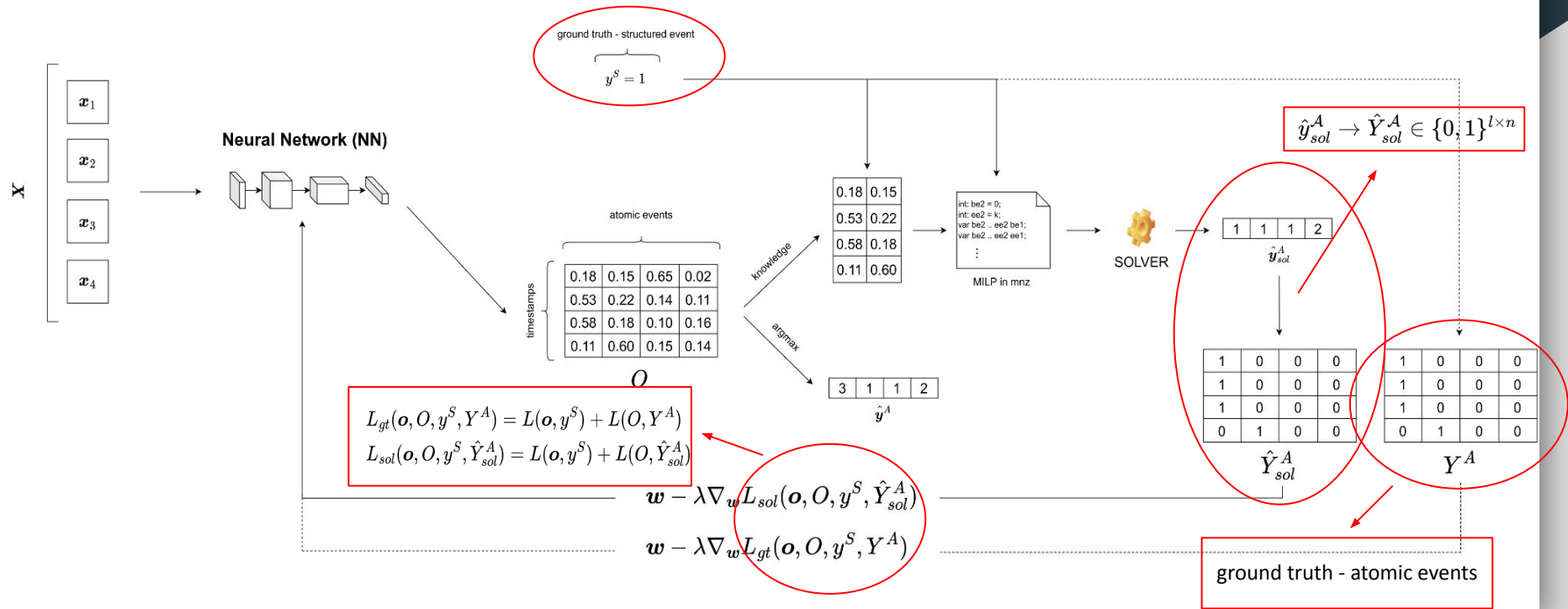
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- Scenario:

- Clips of different length (only one structured event)
- Learning -> Fully supervision in terms of structured event and limited (and noisy) labelling:

```
{happens(highjump, 1, 50), happens(run, 1, 31), happens(jump, 31, 45),  
  happens(fall, 45, 50)}
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```
{happens(hammerthrow, 1, 30), happens(windup, 1, 15), happens(spin, 10, 25),  
  happens(release, 25, 30)}
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{happens(javelinthrow, 1, 30)}
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- **How the prediction of structured and atomic events change when increase supervision of atomic events**

# Structured events



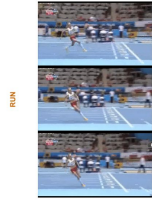
POLEVAULT



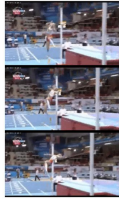
RUN



HIGHJUMP



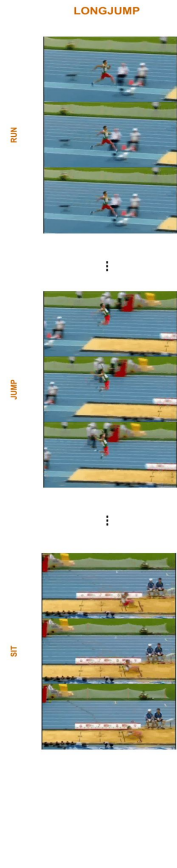
RUN



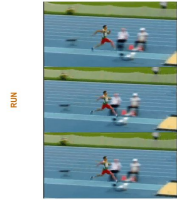
JUMP



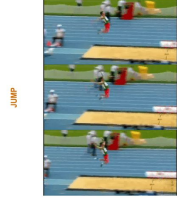
FALL



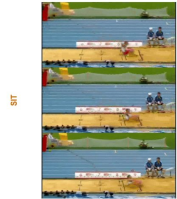
LONGJUMP



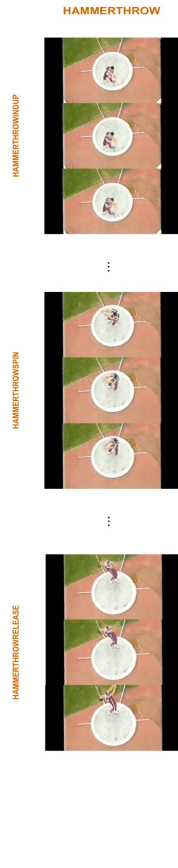
RUN



JUMP



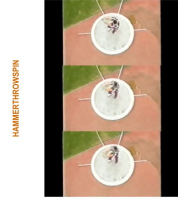
SIT



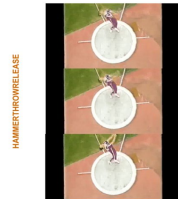
HAMMERTHROW



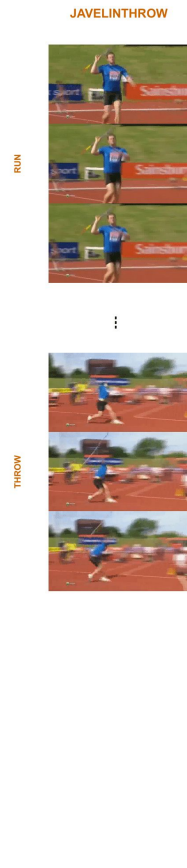
HAMMERTHROWDIP



HAMMERTHROWSPIN



HAMMERTHROWRELEASE



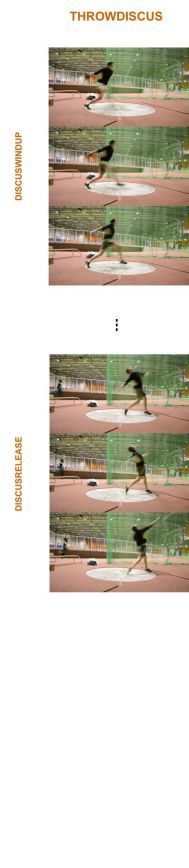
JAVELINTHROW



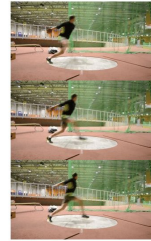
RUN



THROW



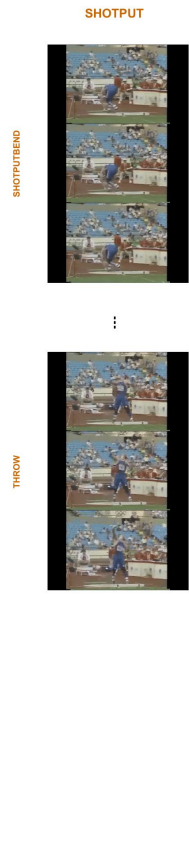
THROWDISCUS



DISCUSWINDUP



DISCUSRELEASE



SHOTPUT



SHOTPUTBEND

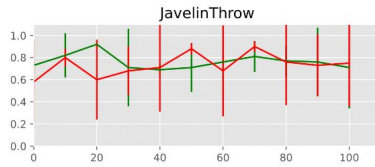
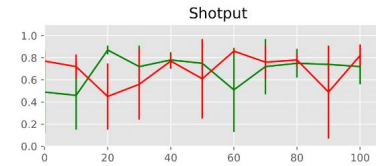
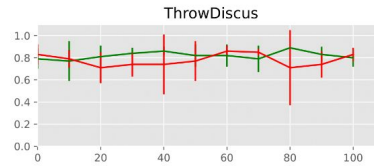
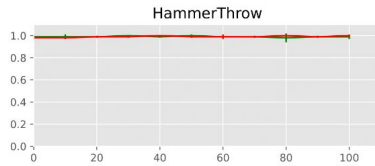
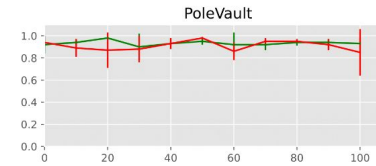
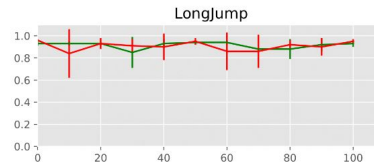
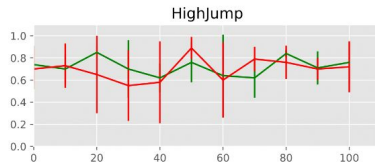


THROW

# Results - structured events

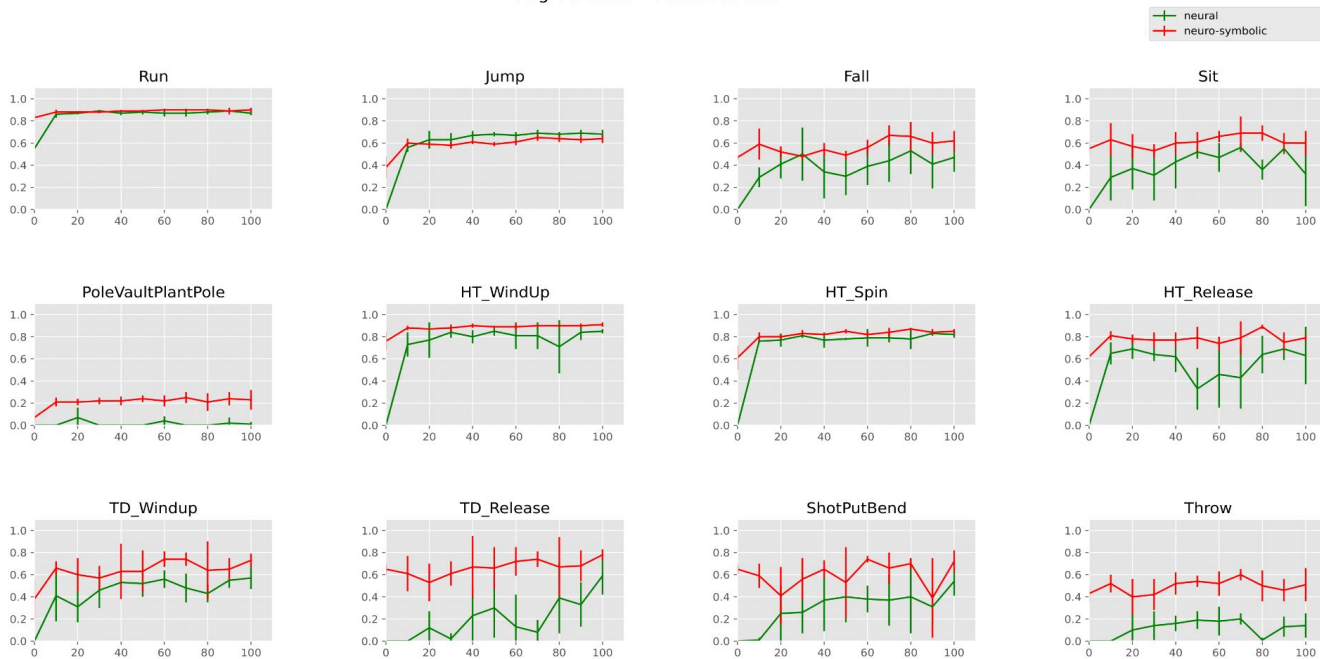
Avg. F1 score -- Structured events

— neural  
— neuro-symbolic

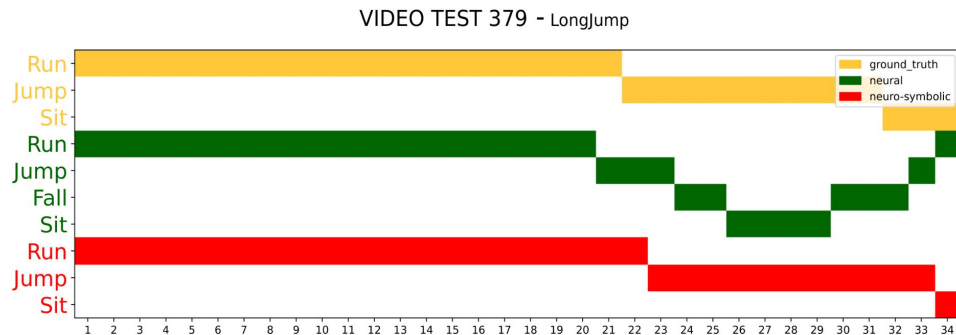
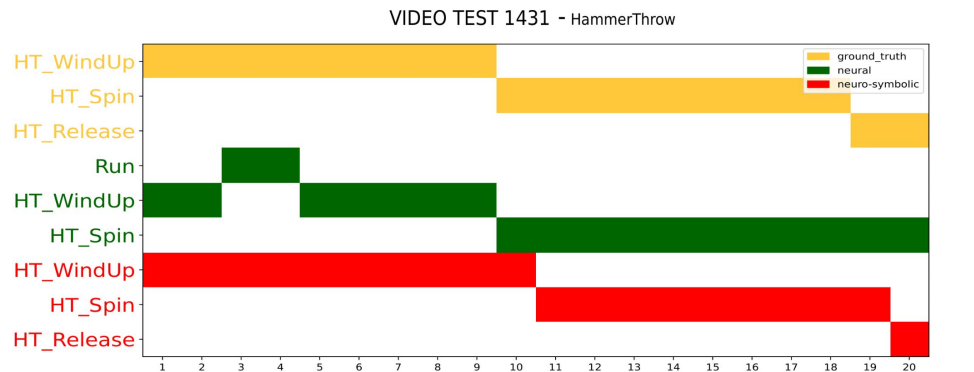


# Results - atomic events

Avg. F1 score -- Atomic events



# Results - predictions



# Conclusion and future works

- **Summary:**
  - A Neuro-symbolic approach for (structured and atomic) event recognition exploiting knowledge
  - Real world scenario
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- **Summary:**
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  - Real world scenario
  - Our approach outperforms neural baseline in terms of detection of atomic events
- **Future works:**
  - Structured events events:
    - Multiple actors
    - More complex relationships (e.g. overlapping of events)



Thank you!

# Hard constraints

Generic Constraints (assuming $k$ atomic events)	
$e_i > b_i \quad \forall i$	Events should end after they began
$b_1 = 1 \wedge e_k = l$	Sequence of atomic events should span the whole clip
$e_i = b_{i+1} - 1 \quad \forall i \in 0 \dots l - 1$	No gap among consecutive events
Specific Constraints (for the <i>javelinthrow</i> structured event)	
$a_1 = run \wedge a_2 = throw$	<i>javelinthrow</i> is a <i>run</i> followed by a <i>throw</i>
$d_1 > d_2$	<i>run</i> should take longer than <i>throw</i>

## Example of soft constraint

$$\min(|d_1 + d_2 - \max_{run} - \max_{jump}|, |d_1 + d_2 - \min_{run} - \min_{jump}|)$$

where:

$$d_1 = e_1 - b_1 + 1, d_2 = e_2 - b_2 + 1$$

$$a_1 = run, a_2 = jump$$

$$a_i \in \mathcal{E}$$

$$b_{a_i}, e_{a_i} = \text{begin}, \text{end}$$

$$d_{a_i} = \text{duration}$$

$$\max_{a_i} \min_{a_i} = \text{max/min duration}$$

(among all instances)

# MILP problem

